

DPP No. 11

Topics : Fundamentals of Mathematics, Quadratic Equation, Complex Number

Total Marks : 29

Max. Time : 31 min.

M.M.. Min. Type of Questions Comprehension (no negative marking) Q.1 to Q.3 (3 marks, 3 min.) 91 [9, Single choice Objective (no negative marking) Q.4, 5, 6, 7 (3 marks, 3 min.) [12, 12] (4 marks, 5 min.) 101 Subjective Questions (no negative marking) Q.8,9 [8, COMPREHENSION (Q. No. 1 to 3) Consider the equation $|2x - 1| - 2|x - 2| = \lambda$ 1. If the above equation has only one solution, then λ belongs to (A) {-3, 3} (B) [-3, 3] (C)(-3, 3)2. If the above equation has more than one solutions then λ belongs to (A) {-3, 3} (B) [-3, 3] (C) (-3, 3) 3. If λ = 6, then the above equation has (A) only one solution (B) only two solutions. (C) no solution. (D) more than two solutions. 4. If the roots of the equation $x^2 + 2 cx + ab = 0$ are real and unequal, then the roots of the equation $x^{2} - 2(a + b)x + (a^{2} + b^{2} + 2c^{2}) = 0$ are : (A) real and unequal (B) real and equal (D) rational (C) imaginary If -3 + 5i is a root of the equation $x^2 + px + q = 0$, then the ordered pair (p, q) is $(p, q \in R)$ 5. (C)(34, -6)(A) (-6, 34) (B) (6, 34) (D) (34, 6) If the quadratic equation $ax^2 + bx + a^2 + b^2 + c^2 - ab - bc - ca = 0$, where a, b, c are distinct reals, 6. has imaginary roots then : $2(a - b) + (a - b)^{2} + (b - c)^{2} + (c - a)^{2} > 0$ (A) $2(a - b) + (a - b)^{2} + (b - c)^{2} + (c - a)^{2} < 0$ (B) (C) $2(a - b) + (a - b)^{2} + (b - c)^{2} + (c - a)^{2} = 0$ (D) none 7. If the quadratic equations $ax^2 + 2cx + b = 0$ & $ax^2 + 2bx + c = 0$ (b \neq c) have a common root, then a + 4b + 4c is equal to : (A) -2 (B) – 2 (C) 0 (D) 1 Solve the equation : |x+1| - |x| + 3 |x-1| - 2 |x-2| = x+28. Solve the equation : $\left|\frac{x+1}{x}\right| + |x+1| = \frac{(x+1)^2}{x}$ 9.

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Answers Key

1.	(C)	2.	(A)	3.	(C)	4.	(C) 5 .	(B)
6.	(A)	7.	(C)	8.	x ∈ [2,	,∞)	∪ {−2}	

9. $x \in \{-1\} \cup (0, \infty)$

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